

Integral Orifice Assembly

Measuring line for small flow measurements

Characteristics

The Integral Orifice Assembly can be mounted directly to the differential pressure transmitter (see fig. 1).

Application

The Integral Orifice Assembly is a segment of a line to measure small flows. It is suitable for liquids and gases.

The integrated orifice is the differential pressure sensor and is mounted inside of the assembly. While medium passes through the orifice there will happen a drop of pressure. This is a proportion for the flow. The differential pressure transmitter transforms the loss of pressure to a uniformed signal, normally a current output (f.e. 4 to 20 mA)

The equation for the volume flow q_v is:

$$q_v = c * \sqrt{\Delta p}$$

Description of orifice calculation

The Integral Orifice Assembly can be ordered with 6 different sizes of orifice. To get the differential pressure and the size of the orifice, the volume or mass flow under operation condition has to be converted to equivalent volume flow for water or air. Now it is possible to choose the size of orifice and for a first approach the span of the differential pressure while using the Nomogram for liquids or gases. The exact find out of the differential pressure has to be calculated numerical in accordance to the formulas of the attached data sheets.

After changing the orifice size it is necessary to calculate again.



fig. 1 integral orifice assembly with transmitter

Technical Informations

Integral Orifice Assembly

mediums	liquids, gases
range of measuring liquids	0.396 up to 1109.52 GPH 1,500 up to 4200 l/h
gases	1.766 up to 4238 cu ft/h 0,050 up to 120 m³/h

innerside diameter of integrated orifice

size	d _i [inch]	d _i [mm]
1	0.0278	0.705
2	0.0394	1.000
3	0.0630	1.600
4	0.1260	3.200
5	0.2047	5.200
6	0.3425	8.700

nominal pressure	ANSI 600 # (PN 100)
temperature of medium	-40 up to +248 °F -40 up to +120°C
process connection	½" NPT- F

materials

integral orifice assembly	mat. 316TI (1.4571) other materials on request
weight	appr. 4.41 lbs (2 kg)

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A. Flow measuring of liquids

Data sheet for calculation and an example to find out the differential pressure span and size of orifice.

Operation condition of the liquid:		
Medium	_____	
Q_F or q_{mF}	_____ [dm ³ /h] [kg/h]	max. volume flow max. mass flow
ρ_F	_____ [kg/dm ³]	density
ν or η	_____ [mm ² /s=cSt] [mPas=cP]	kinematic viscosity dynamic viscosity
p	_____ [bar]	max. stat. operation press.
t_F	_____ [°C]	max. operation temp.

example:

medium: frigene

$$Q_F = 1000 \text{ dm}^3/\text{h}$$

$$\rho_F = 1,329 \text{ kg/dm}^3$$

$$\eta = 0,23 \text{ cP}$$

$$\nu = \eta / \rho_F = 0,23 / 1,329 = 0,165 \text{ cSt}$$

$$p = 8 \text{ bar}$$

$$t_F = 20 \text{ °C}$$

(1) Converting to Q_w , maximal equivalent volume flow of water

$$Q_w = Q_F * (\rho_F)^{1/2} \text{ [dm}^3/\text{h]} \quad \text{or} \quad Q_w = q_{mF} * (1/\rho_F)^{1/2} \text{ [dm}^3/\text{h]}$$

$$Q_w = (\quad)^{1/2} \quad \text{or} \quad Q_w = (1/ \quad)^{1/2}$$

$$Q_w = \text{ [dm}^3/\text{h]}$$

$$Q_w = 1000 * (1,329)^{1/2}$$

$$Q_w = 1152,8 \text{ dm}^3/\text{h}$$

(2) From Nomogram for liquids size of orifice, k and Δp can be find out. Choose the size of orifice with the biggest differential pressure.

size of orifice

$\Delta p \approx$ mbar diff. pressure, first approach

k = correction factor, depending on size of orifice

size of orifice: 5

$$\Delta p \approx 1300 \text{ mbar}$$

$$k = 10,363$$

(3) Numerical calculation of the max. differential pressure Δp

$$\Delta p \text{ [mmWC]} = (Q_w / k)^2 * 0,0981 = (\quad / \quad)^2 * 0,0981$$

$\Delta p =$ max. differential pressure

$$\Delta p = (1152,8/10,363)^2 * 0,0981$$

$$\Delta p = 1213,96 \text{ mbar}$$

(4) The accuracy of flow measuring is influenced by the viscosity of the medium:

$$\frac{Q_F}{v_F} = \text{_____} = \text{_____} > \text{ see table below}$$

The accuracy of measuring: $< \pm$ _____ %

accuracy \ size of orifice	1	2	3	4	5	6
$< \pm 2\%$	5,3	13	21	70	90	280
$< \pm 3\%$	3,8	10	17	60	80	225
$< \pm 5\%$	2,5	7,3	12	46	60	175

$$1000 / 0,165 = 6060,6$$

> 90

result:

accuracy $< \pm 2\%$

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B. Flow measuring of gases

Data sheet for calculation and an example to find out the differential pressure span and size of orifice.

Operation conditions of the gas:		
Medium		
Q_{nG} or q_{mG}	[Nm ³ /h] [kg/h]	max. stand. volume flow (at 0°C; 1,013 bar) max. mass flow
ρ_{nG}	[kg/Nm ³]	standard density
ν_G or η_G	[mm ² /s=cSt] [mPas=cP]	kinematic viscosity dynamic viscosity
P_{absG}	[bar]	absolute pressure
T_G	[°K]	absolute temperature

example:

medium: nitrogen

$$Q_{nG} = 5,0 \text{ Nm}^3/\text{h}$$

$$\rho_{nG} = 1,2505 \text{ kg/Nm}^3$$

$$\eta_G = 0,01752 \text{ cP}$$

$$\nu = \eta_G / \rho_{nG} = 0,01752 / 1,2505 = 0,165 \text{ cSt}$$

$$p_{gG} = 4 \text{ bar}_g \rightarrow p_{absG} = 1,013 + 4 = 5,013$$

$$t_G = 15^\circ\text{C} \rightarrow T_G = 273 + 15 = 288$$

(1) Calculation of Q_{nL} , maximal equivalent volume flow of air (standard cond.)

$$Q_{nL} = Q_{nG} * [(\rho_{nG} * 1,013 * T_G) / (1 * p_{absG} + 273)]^{1/2} \quad \text{or} \quad Q_{nL} = (q_{mG} / 1,293) * [(\rho_{nG} * 1,013 * T_G) / (1 * p_{absG} + 273)]^{1/2}$$

$$Q_{nL} = \frac{Q_{nG} * (1,013 * T_G)}{(1 * p_{absG} + 273)^{1/2}} \quad \text{or} \quad Q_{nL} = \frac{(q_{mG} / 1,293) * (1,013 * T_G)}{(1 * p_{absG} + 273)^{1/2}}$$

$$Q_{nL} = \text{[] Nm}^3/\text{h}$$

$$Q_{nL} = 5 * [(1,2505 * 1,013 * 288) / (1 * 5,033 * 273)]^{1/2}$$

$$Q_{nL} = 2,6 \text{ Nm}^3/\text{h}$$

(2) From Nomogram for gases size of orifice, k and Δp can be find out. Choose the size of orifice with the biggest differential pressure.

size of orifice []

$\Delta p \approx$ [] mbar diff. pressure, first approach

k = [] correction factor, depending on size of orifice

size of orifice: 3

$$\Delta p \approx 950 \text{ mbar}$$

$$k = 0,9560$$

(3) Numerical calculation of the max. differential pressure Δp .
Converting to Q_w max. volume flow of water

$$Q_w [\text{dm}^3/\text{h}] = Q_{nL} [\text{m}^3/\text{h}] * 36,012 = \text{[]} * 36,012 = \text{[] dm}^3/\text{h}$$

$$\Delta p = \frac{(Q_w / k)^2 * 0,0981}{\text{[]}} = \frac{(\text{[]} / \text{[]})^2 * 0,0981}{\text{[]}}$$

$\Delta p =$ [] max. differential pressure

$$Q_w = 2,6 * 36,012 = 93,63$$

$$\Delta p = (93,63 / 0,9560)^2 * 0,0981$$

$$\Delta p = 940,99 \text{ mbar}$$

(4) The accuracy of flow measuring is influenced by the viscosity of the medium:

$$\frac{Q_{nG} * (T_G / p_{absG}) * (1,013 / 273) * 1000}{\nu_G} = \frac{\text{[]} * (\text{[]} / \text{[]}) * (1,013 / 273) * 1000}{\text{[]}}$$

= [] > see table below

The accuracy of measuring: $\leq \pm$ [] % The expansion factor of gas is not taken into consideration while calculating

$$[5,0 * (288 / 5,033) * (1,013 / 273) * 100] / 0,014$$

$$= 77329,5 > 21$$

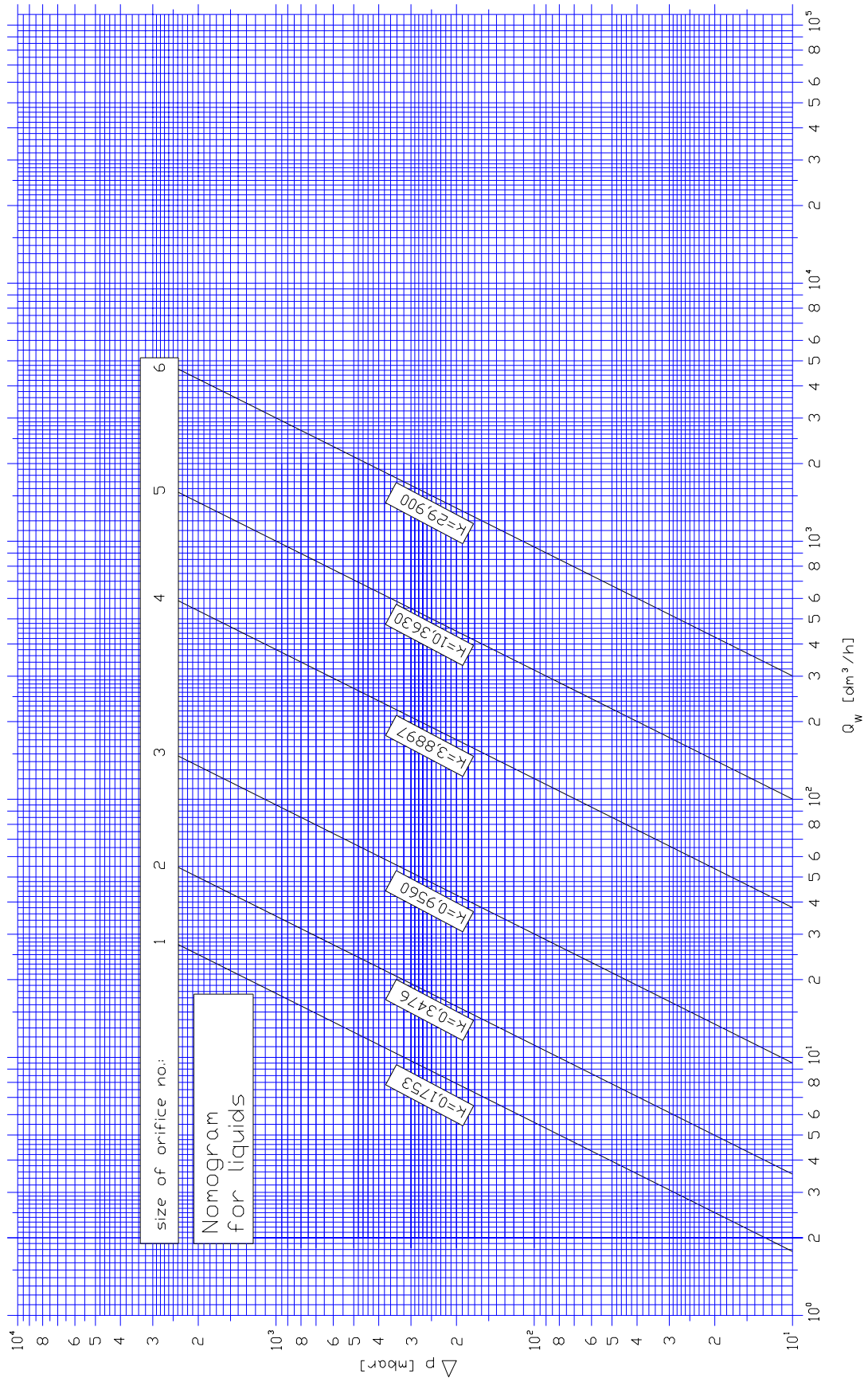
accuracy \ size of orifice	1	2	3	4	5	6
< \pm 2%	5,3	13	21	70	90	280
< \pm 3%	3,8	10	17	60	80	225
< \pm 5%	2,5	7,3	12	46	60	175

result:

accuracy < \pm 2%

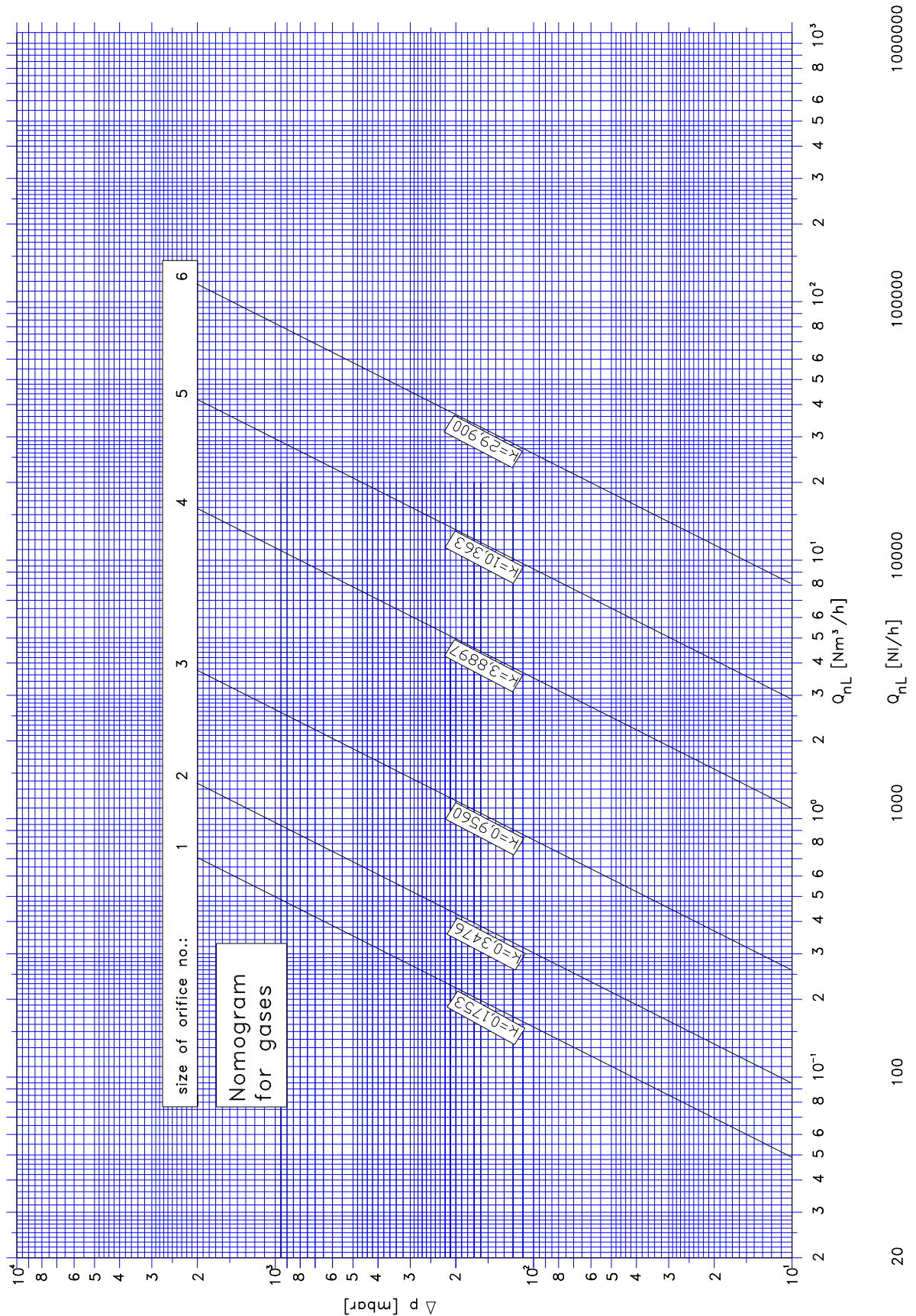
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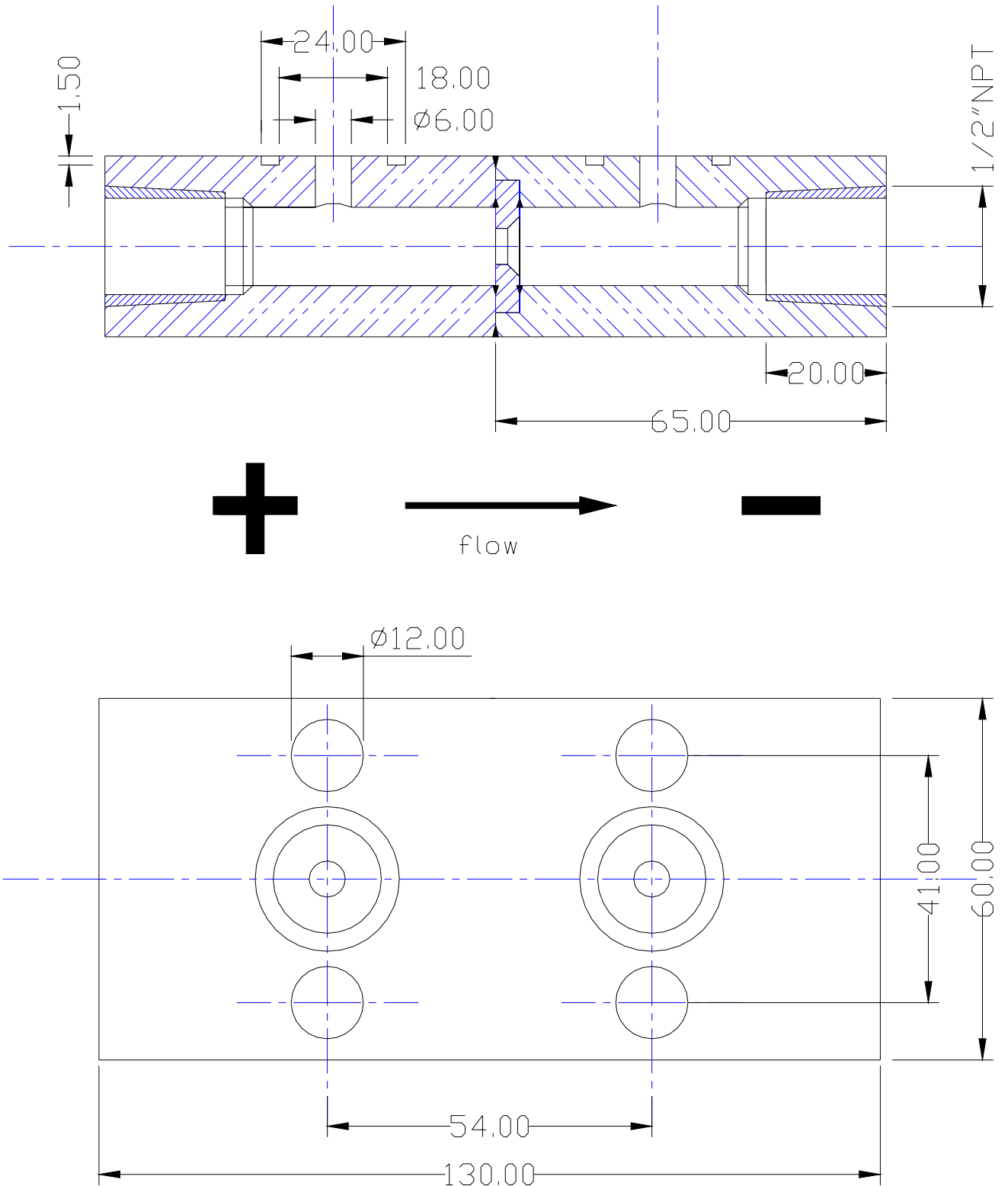


fig. 2 drawing of the Intergral Orifice Assembly